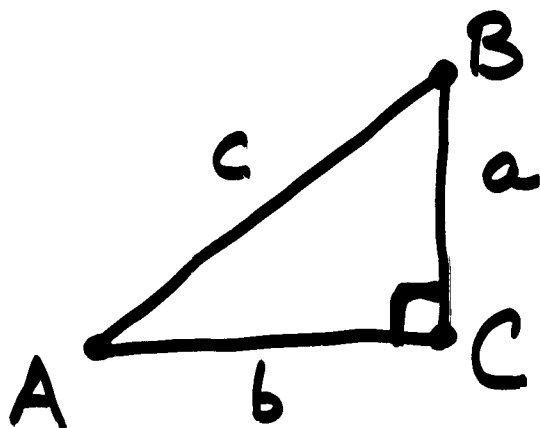


BE-18 THURSDAY 1-4-07

COPY FOR NOTES:

Any right triangle:



Sides are a, b, c (lower case)

Angles are A, B, C (upper case)

$\angle A$ is opposite side a

$\angle B$ is opposite side b

$\angle C$ is opposite side c

c is called the hypotenuse
 a, b are called the legs

$$\boxed{c^2 = a^2 + b^2} \quad P.T.$$

①

Ex 1 Pg 605 } Find c if $a=8, b=15$
Given A $\triangle$

- Write P.T.
- Substitute "Knowns"
- Solve for unknown

$$c^2 = a^2 + b^2$$

$$c^2 = ()^2 + ()^2$$

$$c^2 = (8)^2 + (15)^2$$

$$c^2 = 64 + 225$$

$$c^2 = 289$$

$$\sqrt{c^2} = \sqrt{289}$$

WHY NOT -17 too?

$$\boxed{c = 17}$$

(2)

EX 2 Pg 606 Right Δ Find missing side, $c = 25$ $b = 10$

$$c^2 = a^2 + b^2$$

$$(25)^2 = a^2 + (10)^2$$

$$\begin{array}{r} 625 = a^2 + 100 \\ - 100 \qquad - 100 \end{array}$$

$$525 = a^2$$

$$a = \sqrt{525}$$

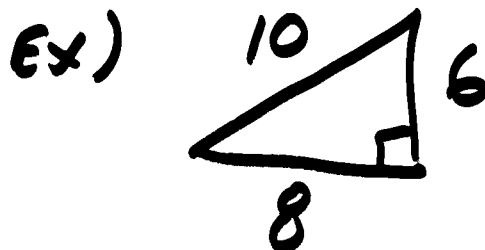
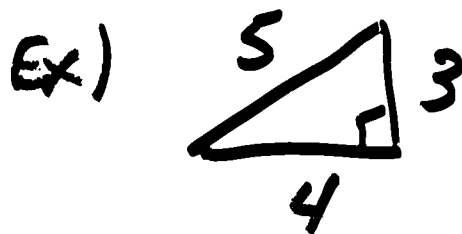
Estimate?
Calculators
OK here

$$a \approx 22.91$$

to nearest
hundredth

Pythagorean
Triples

Right Triangles
with 3 sides that
are integers



Finally, given any 3 numbers, how
can you tell if they form a *
right triangle? { Does $c^2 = a^2 + b^2$? }

Ex 4
PS 607

(a) 20, 21, 29

(b) 8, 10, 12

Ex

4

Find missing side, round to nearest hundredth if necessary

A.

$$a = 16 \quad b = 63$$

$$c^2 = 16^2 + 63^2$$

$$c^2 = 256 + 3969$$

$$c^2 = 4225$$

$$\boxed{c = 65}$$

B.

$$a = 4 \quad b = \sqrt{11}$$

$$c^2 = 4^2 + (\sqrt{11})^2$$

$$c^2 = 16 + 11$$

$$c^2 = 27$$

$$c = 5.196152423 \approx \boxed{5.20}$$